The galactic spin of disc galaxies through the SDSS

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# Outline

- Introduction:
  - what is the spin
  - its role on the structure of present day galaxies (theory / observations)
  - Distributions from N-body simulations
- \* Model for the estimation of the spin for SDSS galaxies
- \* General results (Emphasis on barred disc galaxies)
- Conclusions

### Basic picture of galaxy formation (cartoon version)

- Halo collapses and drags baryons into the gravitational potential well
- Gas cools by radiating processes to settle down on a rotationally supported disc.



\* According to the amount of angular momentum:



This simple scenario leads to predictions of present day disc galaxies that show good resemblance with observations (Fall & Efstathiou 1980; Flores et al. (1993); Firmani, Hernandez & Gallagher (1996), Dalcanton, Spergel & Summers (1997); van den Bosch (1998); Avila-Reese et al. (1998), Zhang & Wyse (2000); Silk (2001); Kregel, van der Kruit & Freeman (2005); Klypin et al. (2002); ...

## Fall (1983) and Romanowsky & Fall (2013)

 $j = J/M \sim M\alpha$  with  $\alpha \approx$  0.6

Disc and elliptical galaxies show an offset of ~ 5 dex



#### The spin parameter $\lambda$

\* Defined by Peebles (1969, 71):

$$\lambda = \frac{L|E|^{1/2}}{GM^{5/2}}$$

\* Measure of the degree of rotational support of the system

$$\frac{g_{\phi}}{g} \sim \frac{V_c^2}{r} \frac{r^2}{GM} = M^2 r^2 v_c^2 \frac{GM^2}{r} \frac{1}{G^2 M^5} \sim \frac{L^2 E}{G^2 M^5}$$

# Influence of the spin on galaxy properties (semi-analytical models) I





Dalcanton et al. 1997 Mo, Mao & White 1998

# Influence of the spin on galaxy properties (semi-analytical models) II



Efstathiou, Lake & Negroponte (1982)  $\epsilon_c = \frac{V_{max}}{GM_d/R_d} \le 1.1$ 

or int terms of the spin (Mo, Mao & White 1998):

$$\epsilon_c = \frac{\lambda_d}{2^{1/2} f_d}$$

Galaxies with low spin, more compact and self gravitating, are expected to develop bar instabilities

## Spin distributions from N-body simulations



### Spin determination I

(MMW 98, Boissier+00, Hernandez & Cervantes-Sodi 06, Tonini+06)

$$\lambda = \frac{L|E|^{1/2}}{GM^{5/2}}$$

 We consider a disc for the baryonic component of the galaxy with an exponential surface mass density profile:

$$\Sigma(r) = \Sigma_0 e^{-r/R_d}$$

\* and a total disc mass:

$$M_d = 2\pi \Sigma_0 R_d^2$$

 and a dark matter halo with an isothermal density profile:

$$\rho(r) = \frac{1}{4\pi G} \left(\frac{V_d}{r}\right)^2$$

\* and a finite radius given by:

$$R_H = \frac{M_H G}{V_d^2}$$

# Spin determination II

\* The energy is given by the halo:

$$E = \frac{-V_d^2 M_H}{2}$$

For the angular momentum we consider that the specific angular momenta of disc and halo are equal (Fall & Efstathiou 1980):

 $L_d/M_d = l_d = 2V_d R_d$ 

- Finally we adopt a specific prescription for the disc mass fraction:
  - \* f = cte.
  - \*  $f = f(\Sigma)$  following Gnedin et al. (2007)
  - f = f(M\*) following Guo et al.(2010)

# Spin determination III

Our final expression is:

$$\lambda = \left(\frac{\sqrt{2}}{G}\right) F_d R_d V_c^2 M_d^{-1}$$

 In the most simplified version, considering a constant dark matter fraction, and introducing a baryonic Tully-Fisher relation:

$$\lambda = \frac{21.8R_d/kpc}{(V_d/km * s^{-1})^{1.5}}$$

 Given that the SDSS does not provide measurements for the rotation curve, we introduce a traditional Tully-Fisher relation (Pizagno et al. 2007)

### Empirical spin distributions



### Environmental and mass dependencies



### Spin and galaxy morphology



Park & Choi (2005)

Cervantes-Sodi & Hernandez (2009)

 $0.076 < \lambda < 0.088$ 

3

3.

#### Spin and gas mass fraction



Cervantes-Sodi & Hernandez (2009)

Huang et al. (2013)

#### Spin and bar fraction

- \* Data drawn from Lee et al. (2012)
  - Sample of ~ 10,000 disc galaxies visually classified on:
  - Strong bars (the bar is larger than one quarter the size of the galaxy)
  - Weak bars
  - Unbarred galaxies



#### Spin and bar fraction



Cervantes-Sodi, Li, Park & Wang (2013)

#### Dependence on other galaxy properties



#### Joint dependence I



Cervantes-Sodi, Li, Park & Wang (2013)

#### Joint dependence II



Cervantes-Sodi, Li, Park & Wang (2013)

#### Decreasing bar fraction for vanishing spin

#### Disc instabilities and semi-analytic modelling of galaxy formation

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#### ABSTRACT

The Efstathiou, Lake and Negroponte (1982) criterion cannot distinguish bar stable from bar unstable discs and thus should not be used in semi-analytic galaxy formation simulations. I discuss the reasons for this, illustrate it with examples and point out shortcomings in the recipes used for spheroid formation. I propose an alternative, although much less straightforward,





A more serious one is that the disc velocity dispersion is not taken into account. A few years after the ELN criterion was published, Athanassoula & Sellwood (1986) showed that velocity dis persion has an important influence on bar stability, which is, in fact, a function of both disc random motions and halo mass. They also presented a disc with no halo, which is stable because of its high-velocity dispersion. Although these results are based on

#### Ordered vs. random motion



Cervantes-Sodi, Li, Park & Wang (2013)

#### Three regimes



#### What about weak bars?

#### ON THE FORMATION OF DISK GALAXIES AND MASSIVE CENTRAL OBJECTS

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> maximum disks in all HSB galaxies presented in § 2. Moreover, while the normal bar instability provides a natural explanation for the existence of strong bars, we are not aware of a model for the origin of weak bars.

#### How large are the bars in barred galaxies?

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	Table 8 s	ummarizes results from ei	ght different pa	pers. In each		
Study	case, I have included as many models from each study as possi- ble, though in some cases additional models are left out because				R <sub>bar</sub> /h	Notes
Pfenniger & Friedli (1991)	there were r	no bar or disc sizes for the	m. One thing is	immediately	0.6	
Combes & Elmegreen (1993)	apparent: simulations tend to produce large bars. Indeed, several simulations produce bars that are either at the upper end of the local				0.6	1
					1.8	2
Friedli & Benz (1993)	n in nearby gala	axies. Except	0.9	3		
Berentzen et al. (1998) Athanassoula & Misiriotis (2002) Valenzuela & Klypin (2003)	for two of the earlier simulations, no N-body bars are as small as typical Sc–Sd bars. (Ironically, one of these is the 'early-type' model CS2 of Combes & Elmegreen 1993, which produced a shorter bar than their 'late-type' model CSE.)				3.6	4
					2.4	5
					2.8-3.2	6
					1.5-2.3	6
					1.4-1.5	7
	A <sub>2</sub>	N-body	4.5-5.5	4.2	1.1-1.3	7
	В	N-body	4.2-5.0	5.0	0.8 - 1.0	7
Holley-Bockelmann et al. (2005)	$F_5$	N-body	0.026	0.01	2.6	8
Immeli et al. (2004)	F	N-body+ gas+ SF	3-4.5	1.9	1.6 - 2.1	9

#### Extreme case of high $\lambda$

 LSBs are extreme cases of high spinning disc galaxies (Jimenez et al. 1999; Kim & lee 2012)

Simulations of LSBs tend to produce smaller, short lived bars when compared with the ones produced on massive discs (Mihos et al. 1997; Mayer & Wadsley 2004)



- Scannapieco & Athanassoula (2012) on fully cosmological hydrodynamical simulations of MW-mass galaxies :
  - Strongest bar is formed in a bulge-disk-halo system with the lowest spin
  - Weakest bar on a pure disk with the highest spin

(Erwin 2005)





#### General conclusions

- The spin parameter plays a crucial role shaping the structure and morphology of present day disc galaxies.
- Based on a simple model we can give an estimation of the λ spin parameter for any disc galaxy which can be used as an objective and quantitative parameter to describe the morphology of large samples of galaxies
- The well defined and objective nature of the dimensionless spin parameter makes it ideal for comparing the output of numerical galactic formation scenarios to real galactic samples

#### Regarding barred disc galaxies:

We found a strong dependence of the bar fraction on the galactic spin for the case of disc galaxies

Strong bars :

- \* Preferentially found at lowintermediate  $\lambda_d$  values due to their self-gravity
- \* At low  $\lambda_d$  the disc become dominated by random motions that prevents the formation/growth of bars

Weak bars :

- \* Hosted by galaxies with high  $\lambda_d$  values
- Their size might be restricted by the sparsity of the disc
- The large fraction of gas on these galaxies play an important role on restricting the growth of the bar.

#### Comparison with numerical simulations

For our galaxy, our estimation is λ
= 0.023, in agreement with
theoretical expectations ( λ = 0.02:
Natarajan 1998; Hernandez et al.
2001)



Cervantes-Sodi, et al. (2008)

# Verification with highly accurate measurements of $\lambda$ in observed galaxies

- \* Muñoz-Mateos et al. (2011)
- Models of observed disc galaxies, matching multiwavelength luminosity profiles and rotation curves.



### Specific angular momentum

